

Atmospheric phase correction for ALMA with water-vapour radiometers

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**UNIVERSITY OF
CAMBRIDGE**



Outline

- 1 Introduction
 - Goals, setting
 - Atmospheric Phase Fluctuations at mm/sub-mm wavelengths
- 2 Review of ALMA Phase Correction/Calibration Strategy
 - Fast-switching
- 3 Phase correction with WVRs
 - Water Vapour Radiometry
 - Algorithms
- 4 Summary

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Goals for this talk

- Introduce the work in Cambridge on *algorithms* for WVR phase correction
 - Why this is interesting
 - Where we are heading
 - Very briefly present some simulations
 - Also briefly review results of prototype testing at the SMA
-
- Firsts tests with ALMA still 6-12 months away

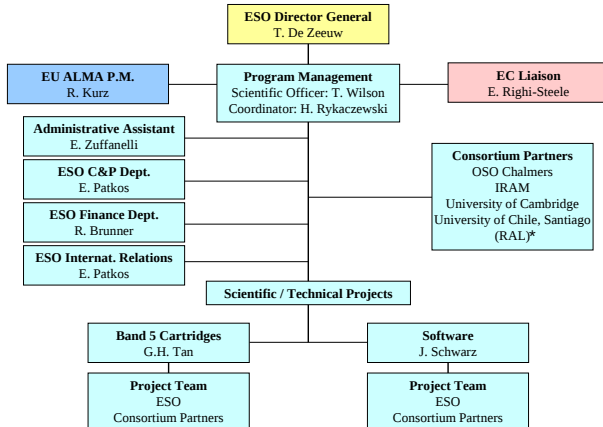
Work on Phase Calibration/Correction at Cambridge

A simplified summary:

- Funded by EU and organised separately from baseline ALMA
- Intended as an ALMA **enhancement**
- Managed by ESO on behalf of EU
- Initial band 5 receivers and IRAM work on the on-the-fly interferometry funded through this framework too

FP6 “Organigram”

ALMA Enhancement FP6 Program



*: pending contract amendment approval by EC

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Causes of Phase Errors at mm/sub-mm wavelengths

Instrumental

- Sources:
Mechanical/ Optical/
Electronic
- Timescales: from about 30 minutes to very long timescales (e.g., the diurnal cycle)
- Mitigation: Stable designs and astronomical phase calibration

Atmospheric – Tropospheric

Two sources:

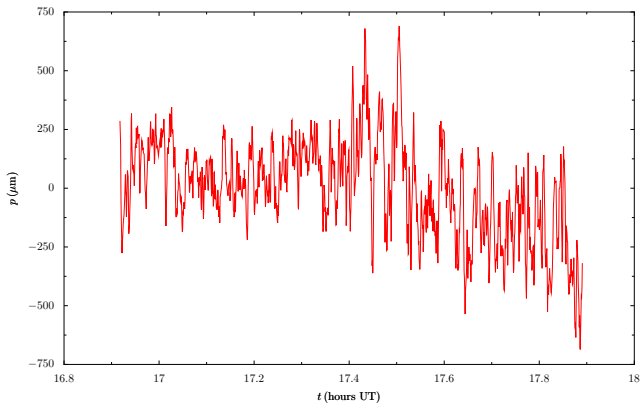
- Fluctuating **quantity** of water-vapour along line of sight ('wet')
- Fluctuating **temperature** of dry air along line of sight ('dry')

Two relevant timescales:

- Inner: Set by the smoothing effect of the $D = 12$ m telescope beam:
 $\approx D/v \sim 1$ s
- Outer: Determined by the baseline length B :
 5 s $\lesssim B/v \lesssim 20$ minutes

Example of observed path fluctuations

SMA, Mauna Kea, Hawaii



- Measured path fluctuation while observing a quasar
- 200 m baseline
- About 3.5 mm line-of-sight water
- $\sigma_\phi = 207 \mu\text{m}$.

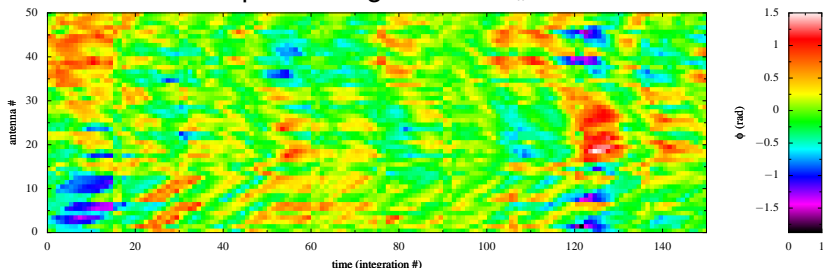
This and all other data from the SMA were collected by the ALMA WVR prototype collaboration: for full list of people involved and more details see <http://www.mrao.cam.ac.uk/~bn204/alma/smat.html>

Simulated ALMA phase errors

Details of simulations at <http://www.mrao.cam.ac.uk/~bn204/alma/>

Based on a 3D Kolmogorov turbulence model –
see ALMA memos # 573, 582

Compact configuration $B_{\max} \approx 150$ m

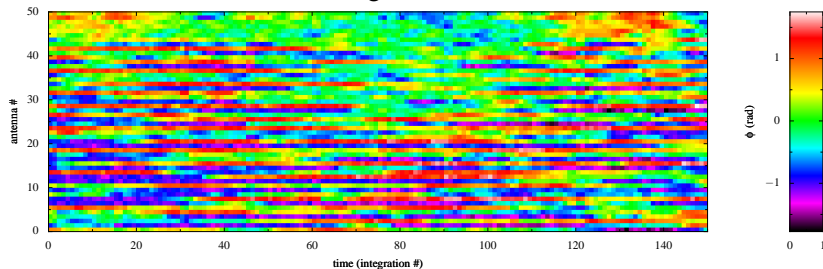


Simulated ALMA phase errors

Details of simulations at <http://www.mrao.cam.ac.uk/~bn204/alma/>

Based on a 3D Kolmogorov turbulence model –
see ALMA memos # 573, 582

Medium configuration $B_{\max} \approx 1$ km



Impact of poorly corrected phase errors

General impact on science

- Phase errors increase with baseline length
 - ⇒ limit on maximum usable baseline length
 - ⇒ limit on possible resolution
- Loss of sensitivity due to de-correlation

Impact on snapshot + mosaics

Further effects due to time-variance of phase fluctuations

- Amplitude calibration
- Astrometric accuracy

Top level specification for ALMA

$$\delta p_{\text{corrected}} \leq \left(1 + \frac{w}{1 \text{ mm}}\right) 10 \mu\text{m} + 0.02 \times \delta p_{\text{raw}} \quad (1)$$

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ALMA phase correction strategy

Fast-switching

- Observe nearby quasars
- Calculate antenna phase errors
- Calibration cycle down to 10–15 s (fast antennas!)
- Expect calibrators about two degrees from science target
- Can calibrate at 90 GHz and transfer up to 950 GHz

+

Water Vapour Radiometry

- *Measure* atmospheric properties along the line of sight of each telescope
- Use dedicated 183 GHz radiometers on each telescope
- Measurements at about 1 Hz
- **Infer excess path**
- Correct either in correlator or in post-processing

+ Self-Calibration in a very limited number of cases

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Fast-Switching offset calibration

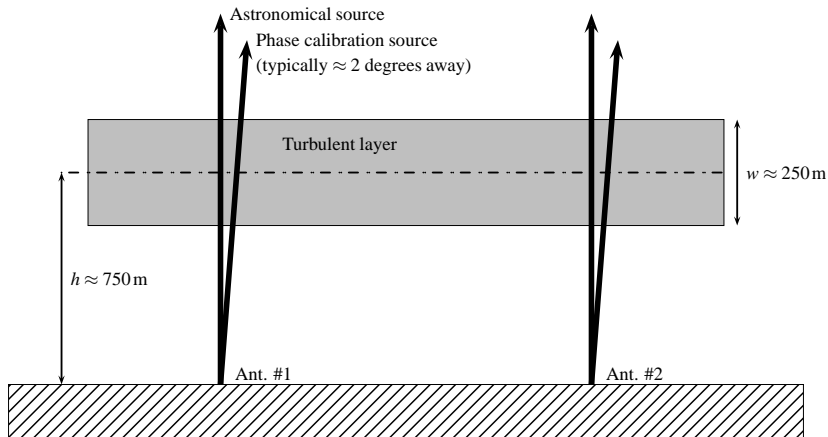
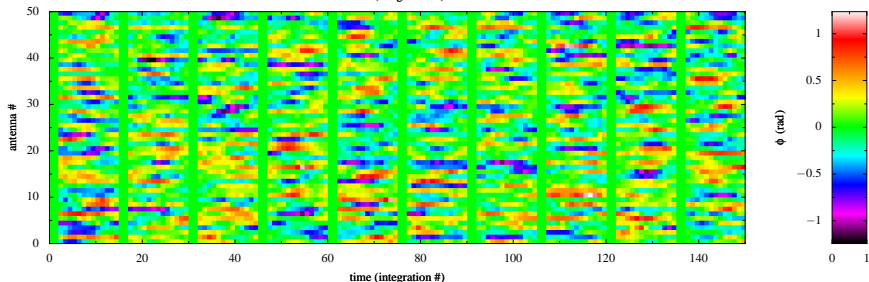
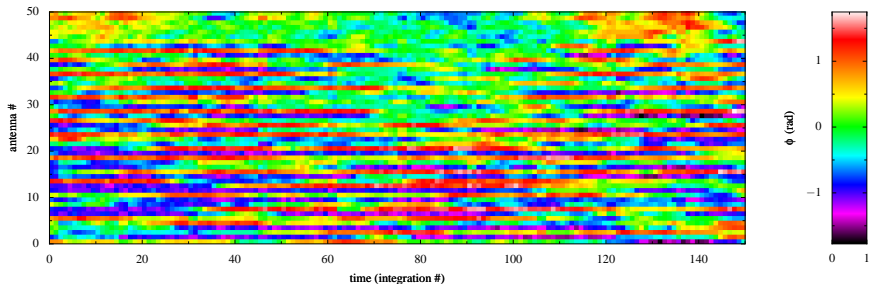


Illustration of the geometry of the turbulent layer and the directions to astronomical and calibration sources.

Simulated fast-switching phase calibration

Medium configuration, 15 s cycle (<http://www.mrao.cam.ac.uk/~bn204/alma/>)



Fast-switching phase calibration

- Use standard algorithms to determine antenna phase errors from observed visibilities
- Phase transfer from $\lambda = 3$ mm to the observing frequency.
Benefits:
 - Quasars are much brighter at $\lambda = 3$ mm than in the sub-mm
 - Phase errors are unlikely to be large enough to cause phase wrapsPotential challenges:
 - Atmosphere is *dispersive* in the sub-mm so the transfer of gain solution requires modelling or **itself** needs calibration:
E.g.: 10% of total path due to water vapour at $\lambda = 1$ mm is dispersive
 - Instrumental phase stability between $\lambda = 3$ mm and observing bands needs to be good
- Residual phase errors depend on the atmospheric conditions and the calibration cycle, but **not** on the baseline length

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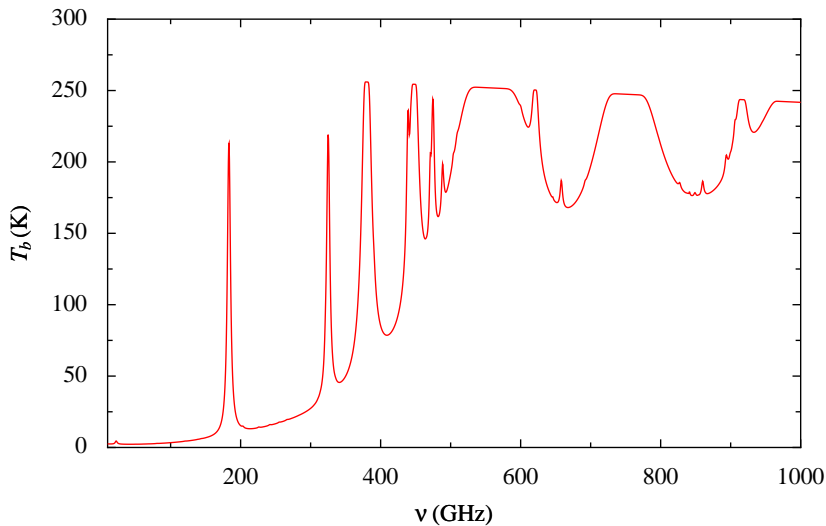
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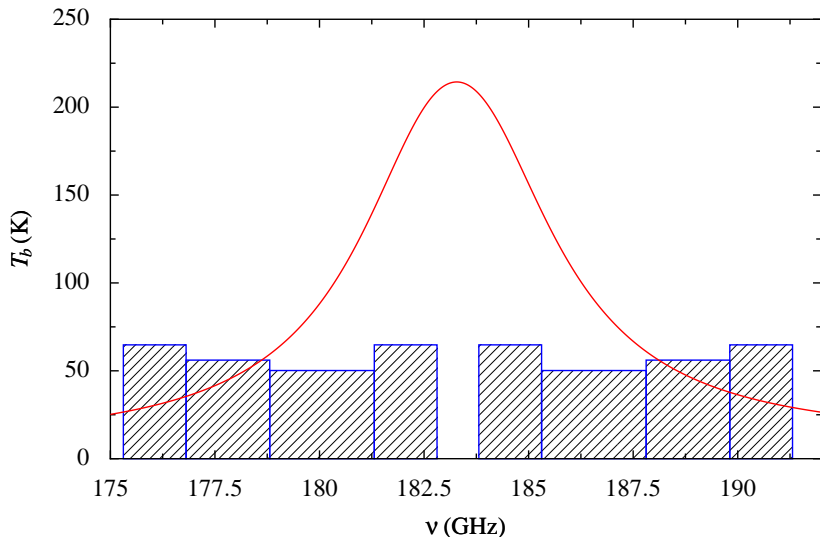
Water Vapour cm/mm/sub-mm lines

1 mm water vapour



The 183 GHz Water Vapour Line

Blue rectangles are the production WVR filters

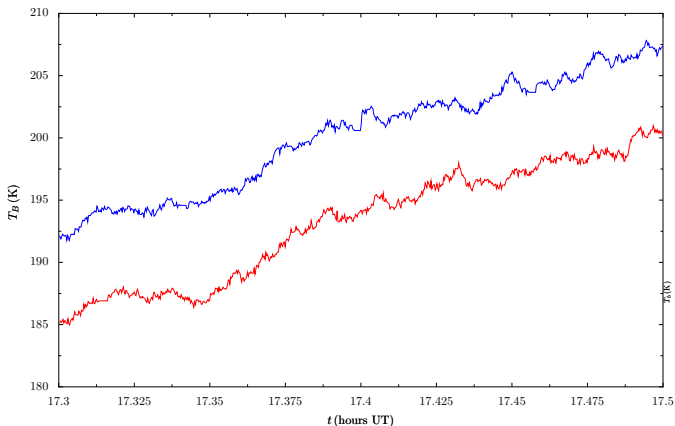


The 183 GHz Water Vapour Radiometers

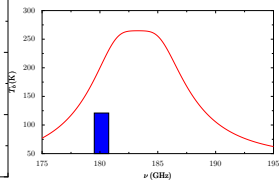
- Un-cooled mixer, double-sideband, with ≈ 1000 K receiver noise
- Total bandwidth ≈ 18 GHz split into four DSB channels
- Dicke-switched with a chopper wheel against loads at two temperatures allowing continuous calibration
- Specifications:
 - Sensitivity: 0.08–0.1 K per channel RMS in one second
 - Stability: 0.1 K peak-to-peak over 10 minutes + 10 degree tilts
 - Absolute accuracy: 2 K maximum error
- Prototypes designed and built by Onsala and Cambridge
- Simplified design for production and the manufacture of ≈ 60 units by industry partners
- Delivery of first production units to Chile expected toward end Q1–2009

Signal from two prototype WVRs mounted on SMA antennas

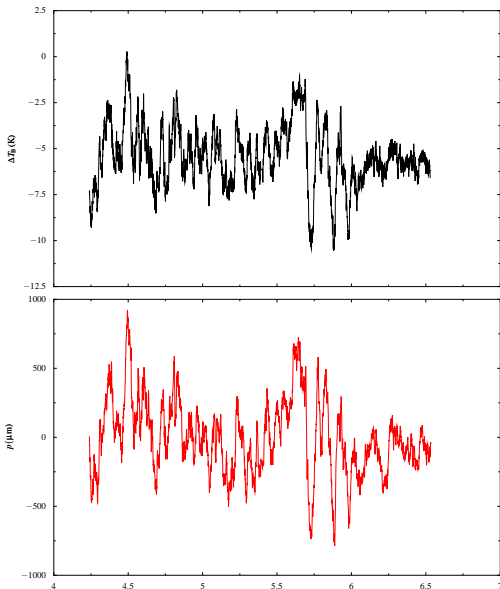
From the ALMA WVR prototype testing campaign in 2006



- Blue line: radiometer # 1
- Red line: radiometer # 2



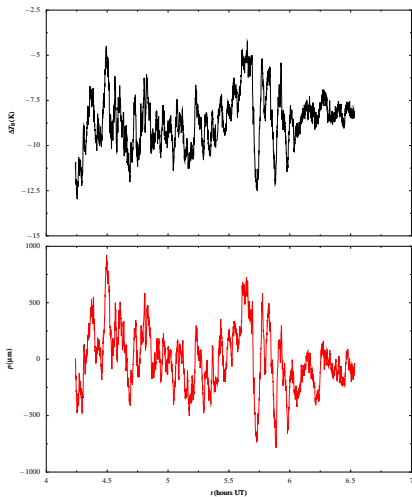
Interferometer path vs. radiometer difference



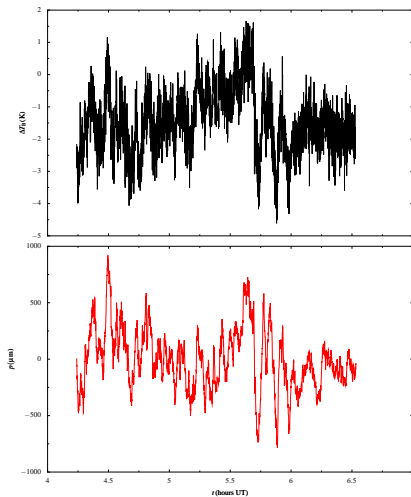
- July 18 2006 test at the SMA with the ALMA prototype WVRs
- Black line: difference between channels 2 on the two radiometers
- Red line: interferometric path fluctuation

Interferometer path vs. radiometer difference

Channel 0



Channel 3



Algorithms for WVR phase correction

δL change in excess path to antenna

$\delta T_{B,i}$ change in i -th channel sky brightness observed by a WVR

w_i weight of i -th channel

$$\delta L \approx \sum_i w_i \frac{dL}{dT_{B,i}} \delta T_{B,i} \quad (2)$$

δT_B : WVR hardware design

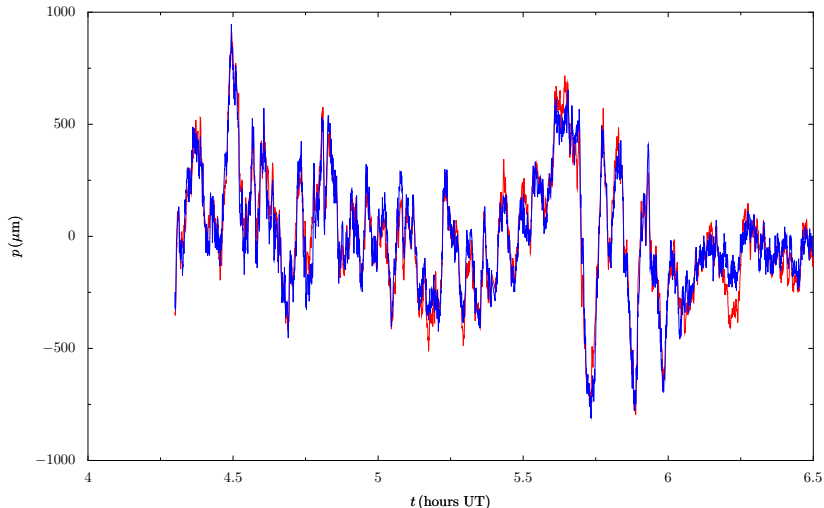
- Low noise
- High bandwidth
- High stability

$w_i \frac{dL}{dT_{B,i}}$: (primarily) algorithm design

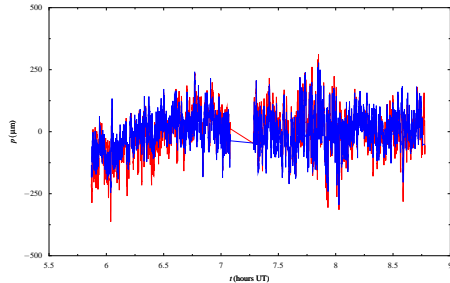
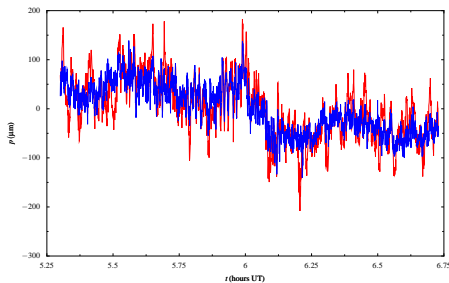
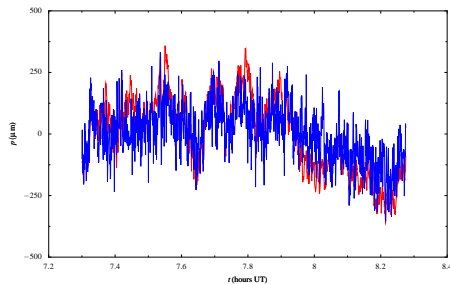
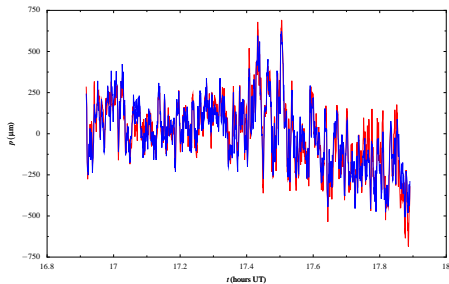
- Optimal use of information
- Atmospheric models+physics
- Experience at the site
- 'Ancillary' information

Will this work? Optimise $w_i \frac{dL}{dT_{B,i}}$ directly as a test

SMA test data, total fluctuations: σ_L reduced from 271 to 75 μm



More SMA prototype test observations



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WVR algorithms

Goals:

- Figure out $\frac{dL}{dT_{B,i}}$ and w_i
 - Confidence estimates on the above
-

- Tighter coupling to the offset phase calibration?

WVR algorithms: available information

- Four absolute measurements of sky brightness: i.e., $T_{B,i}$ rather than $\delta T_{B,i}$
- The **observed** correlation between δL and δT_B
- Ground-level temperature, pressure, humidity, wind-speed
- Information on the profile of atmospheric temperature versus height from a single 60 GHz O₂ sounder at the centre of the array
- Library of radio-sonde measurements
- Short-term meso-scale meteorological forecast

Will we need all of this information?

- We are aiming for *very challenging* 2% accuracy in $\sum_i w_i \frac{dL}{dT_{B,i}}$
- For operational efficiency important to understand how well phase correction will work (also the opacity too of course)

Algorithm framework: Bayesian

We are developing a Bayesian framework to optimally combine all available information together with models of the atmosphere

Why Bayesian?

We are **not interested** in model parameters such as pressure, temperature, lapse rate, turbulent layer height, etc.

All we want are the $\frac{dL}{dT_{B,i}}$

→ Marginalise *all* model parameters, get probability distributions for $\frac{dL}{dT_{B,i}}$.

Framework features

- A model for accuracy of absolute measurements $T_{B,i}$
- Incorporate empirical $\frac{dL}{dT_{B,i}}$ as *observation*
- Other information naturally fit in as priors

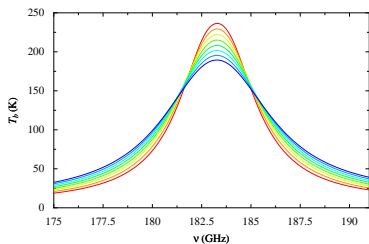
Short advertisement & request: ATM

- The work presented here is based only on the 183 GHz line and non-dispersive delay: these are both trivial model
- For predicting dispersive effects and also for absolute calibration, ALMA will use Juan Pardo's ATM
- This version is now available for everybody to download and use under the open-source GPL licence:
<http://www.mrao.cam.ac.uk/~bn204/alma/atmomodel.html>
- Any comments on accuracy of this code would be greatly appreciated by the project

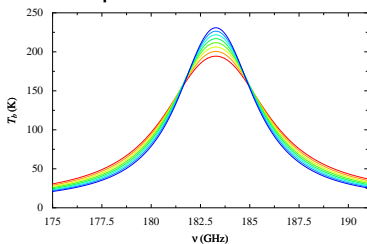
Prediction of $\frac{dL}{dT_{B,i}}$ from $T_{B,i}$ only

Single, thin layer; non-dispersive water vapour delay only; prototype filter set

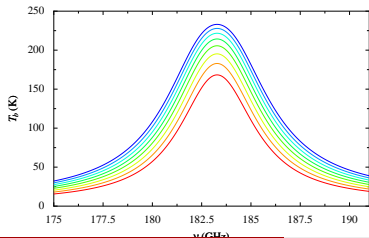
Pressure variation



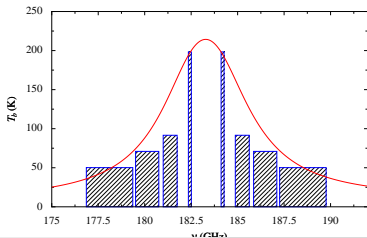
Temperature variation



Amount of Water

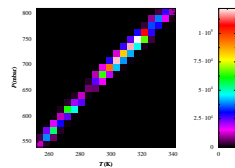
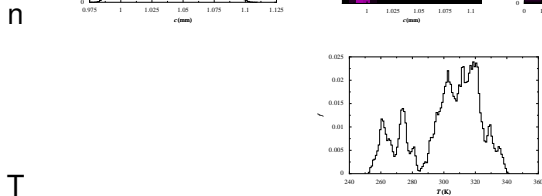
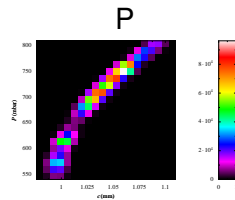
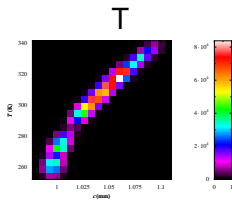
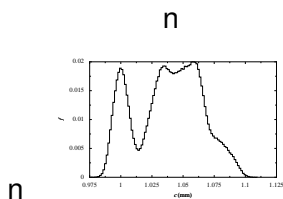


Filters



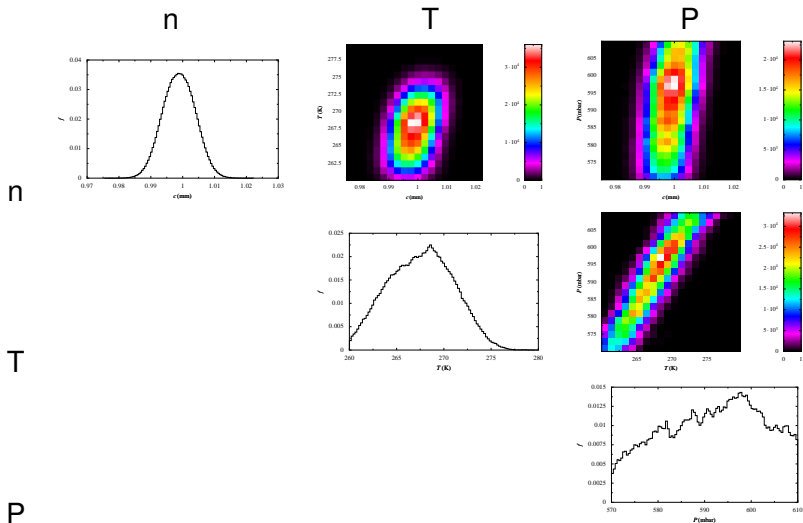
Prediction of $\frac{dL}{dT_{B,i}}$ from $T_{B,i}$ only

Model parameters retrieval *without* priors



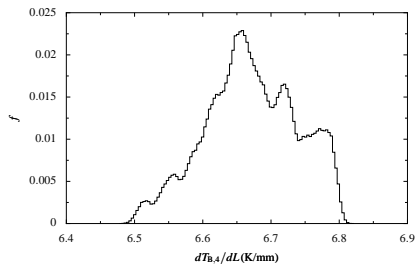
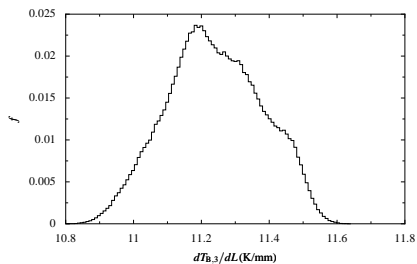
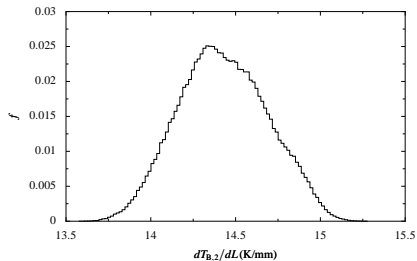
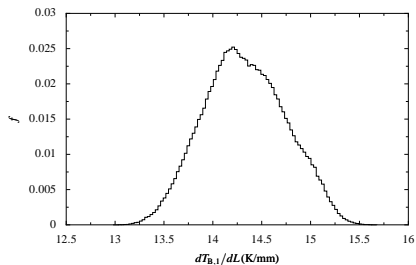
Prediction of $\frac{dL}{dT_{B,i}}$ from $T_{B,i}$ only

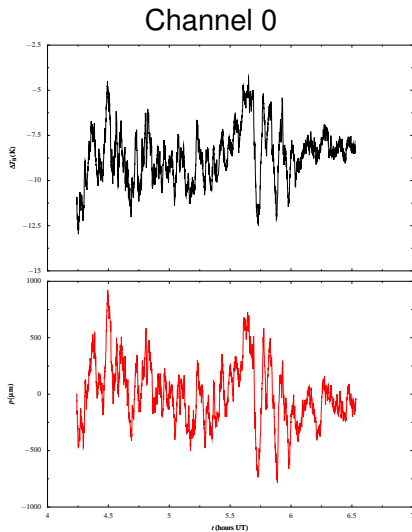
Model parameters retrieval with priors



Prediction of $\frac{dL}{dT_{B,i}}$ from $T_{B,i}$ only

Retrieved $\frac{dL}{dT_{B,i}}$ (with priors)

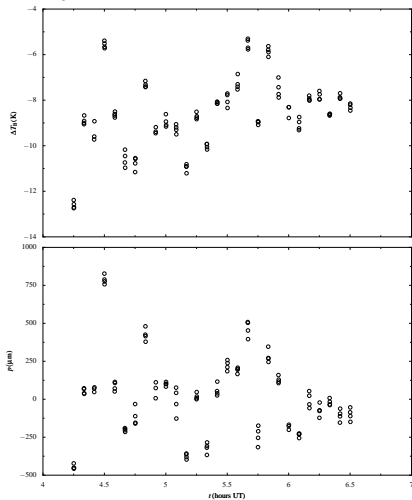


Estimating $dL/dT_{B,i}$ 

Estimating $dL/dT_{B,i}$

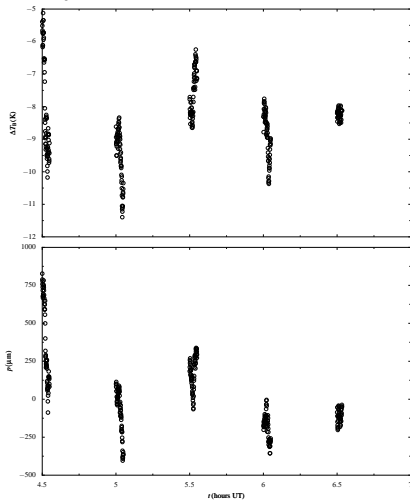
Normal phase cal

Cycle: 5 mins/ Cal: 10 sec



Specialised scan

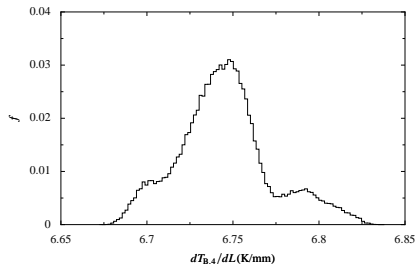
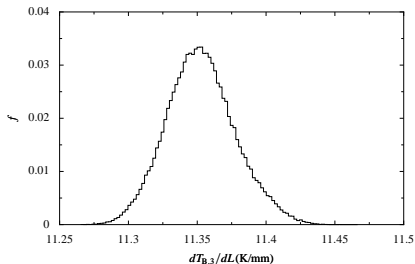
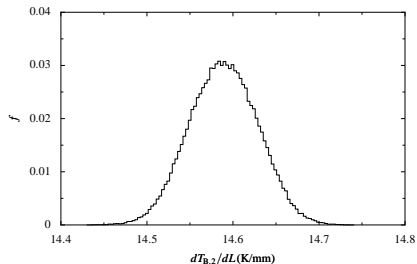
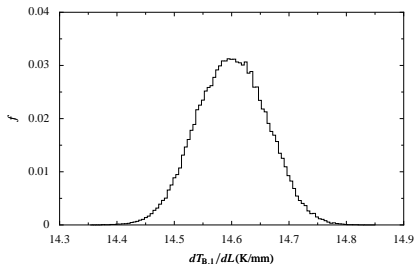
Cycle: 30mins/ Cal: 3 min



Including the empirical correlation between δL and δT_B

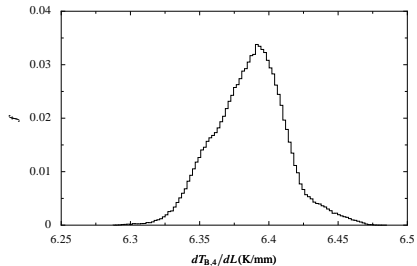
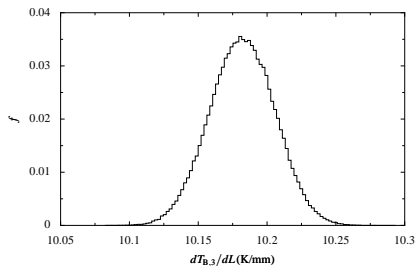
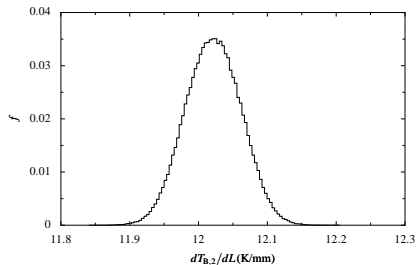
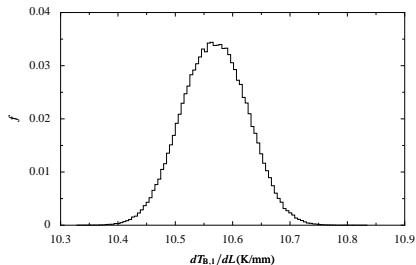
- The correlation between δL and δT_B when observing a quasar gives us *directly* the information we need to do phase correction
- But, must minimise time spent on this observation instead of science
- \implies Use the observed correlation, **and** a physical model for atmosphere to allow inference of $w_i \frac{dL}{dT_{B,i}}$ at:
 - Different airmass
 - Different total water column
 - ...
- This approach naturally fits into the Bayesian framework

Prediction of $\frac{dL}{dT_{B,i}}$ from $T_{B,i}$ and correlation δL vs δT_B



Prediction of $\frac{dL}{dT_{B,i}}$ from $T_{B,i}$ and correlation δL vs δT_B

Transferred to an airmass 25% higher



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Summary

- WVRs phase correction is an important part of the ALMA phase correction plan
- Initial results from SMA promising
- The algorithm design is challenging but hopefully tractable

But need to :

- Get ALMA phase-stable and observing at sub-mm frequencies at the AOS (the high site)
- Get the WVRs commissioned, integrated into the ALMA system, and the observation and data recording software systems working

And then the real challenges for phase correction start...

Challenges

- 15 km baselines with substantial elevation difference between parts of the array
→ need **different** set of $\frac{dL}{dT_{B,i}}$ for each antenna
- In some correlator modes, need to apply correction in semi-real-time
→ need to get the $\frac{dL}{dT_{B,i}}$ right
- 'dry' fluctuations: very little direct information, need to rely on correlation with 'wet' fluctuations
- Optimisation of fast-switching and phase transfer calibration stages
- Understanding of atmospheric physics and models